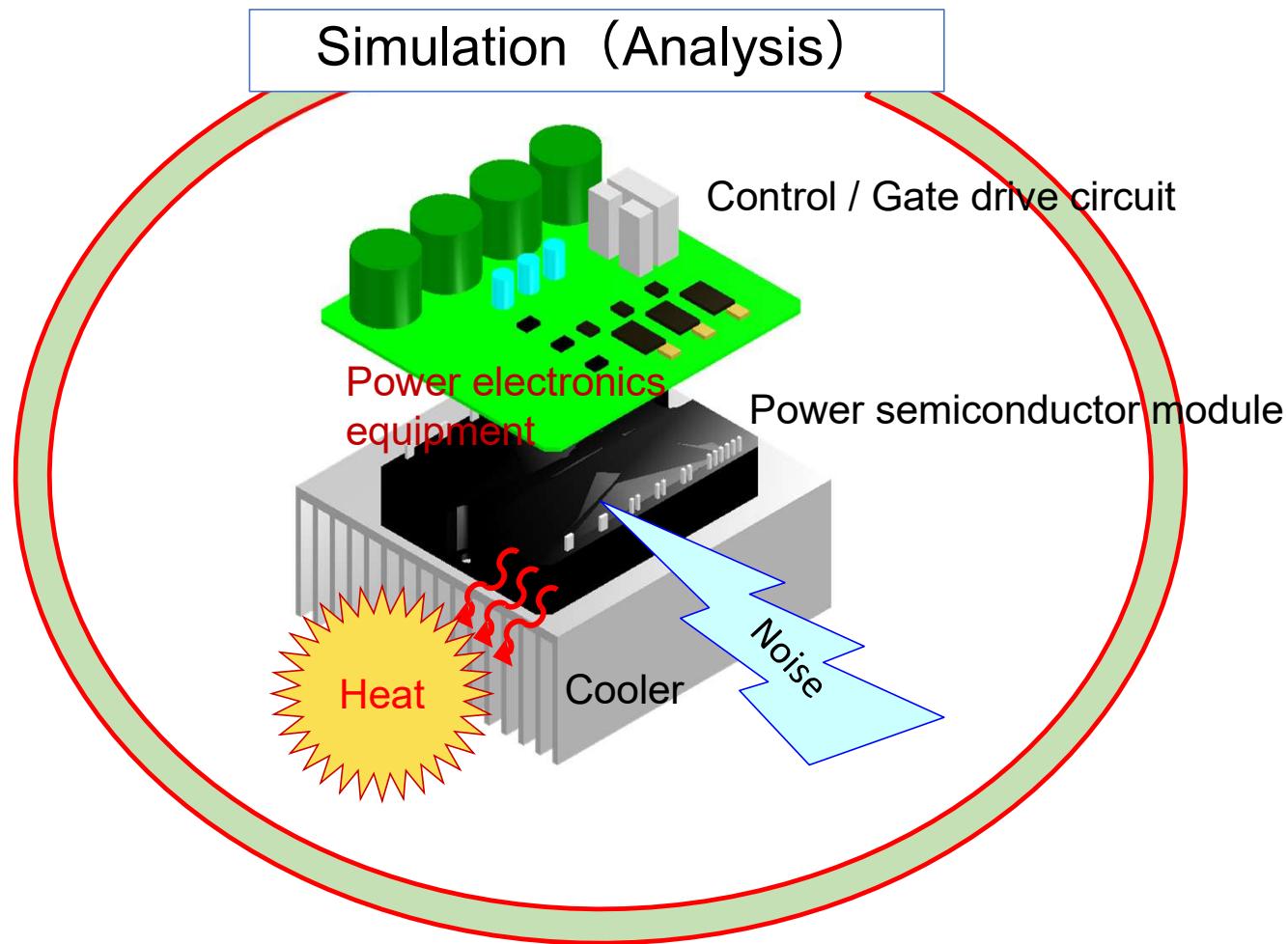


1. Development of power semiconductor device models

- ①中嶋, 堀口, 浦壁, 萩原,
「SiC-MOSFET, GaN-HEMTに適用可能なユニバーサルデバイスモデルの開発」,
令和3年電気学会全国大会, WEB17-B2・パワーエレクトロニクスデバイス評価・4-001 (2021)
- ②J. Nakashima, T. Horiguchi, Y. Mukunoki, M. Hagiwara, T. Urakabe and S. Harada,
“Automated Flexible Modeling for Various Full-SiC Power Modules”,
IEEE Transactions on Power Electronics (Early Access), pp. 1-15 (2023)
- ③井口, 原田, 浦壁, 中嶋, 堀口, 棕木,
「温度特性を考慮したGaNデバイスモデルの研究」,
電気学会 電子デバイス/半導体電力変換 合同研究会, EDD-23-037/SPC-23-220, 2023

Purpose: Construction of an accurate and easy-to-use power semiconductor model for virtual production and verification of power electronics equipment utilizing simulation technology



1. Building an I_D - V_{DS} model for power semiconductor devices

Modeling method (@MATLAB)

Step.1

Import the actual measurement data (I_D vs. V_{DS}).
Extract the values of the variables Func1, Func2, and Func3 in the basic model formula for each V_{GS} data.



Step.2

Model the extracted Func1, Func2, Func3 data with a Gaussian function as a function of V_{GS} .



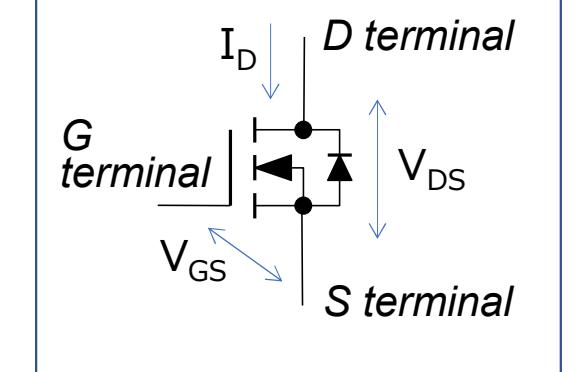
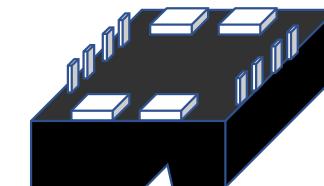
Step.3

Replace Func1 ~ 3 model with basic model formula.



Power semiconductor model is completed

Power semiconductor module



Power semiconductor device

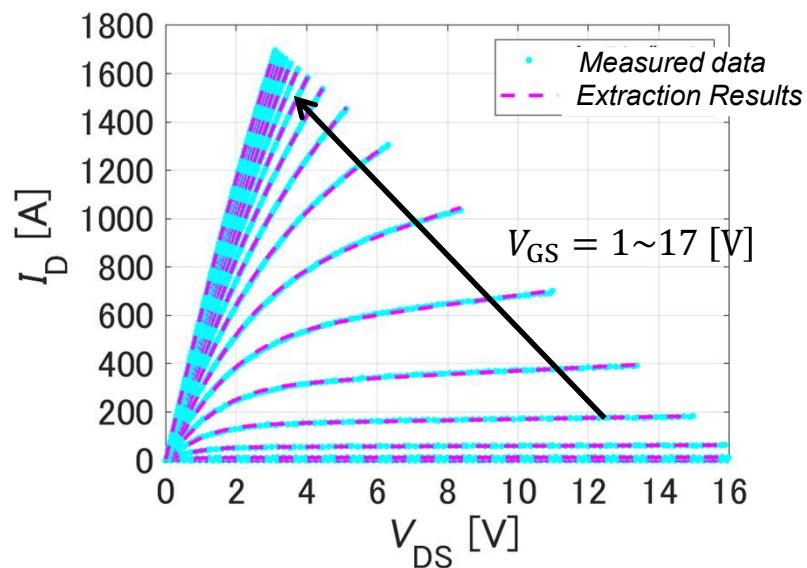
Target : 1.2kV-Full SiC module

Step.1

Import the actual measurement data (I_D vs. V_{DS}).
Extract the values of the variables Func1, Func2, and Func3 in the basic model formula for each V_{GS} data.

* Fitting measured data with Func1,2,3.

Basic model formula : $I_{D(V_{DS})} = f(\text{Func1}, \text{Func2}, \text{Func3}, V_{DS})$
 $= \text{Func1} \times \tanh(\text{Func2} \times V_{DS} \dots) + \dots$

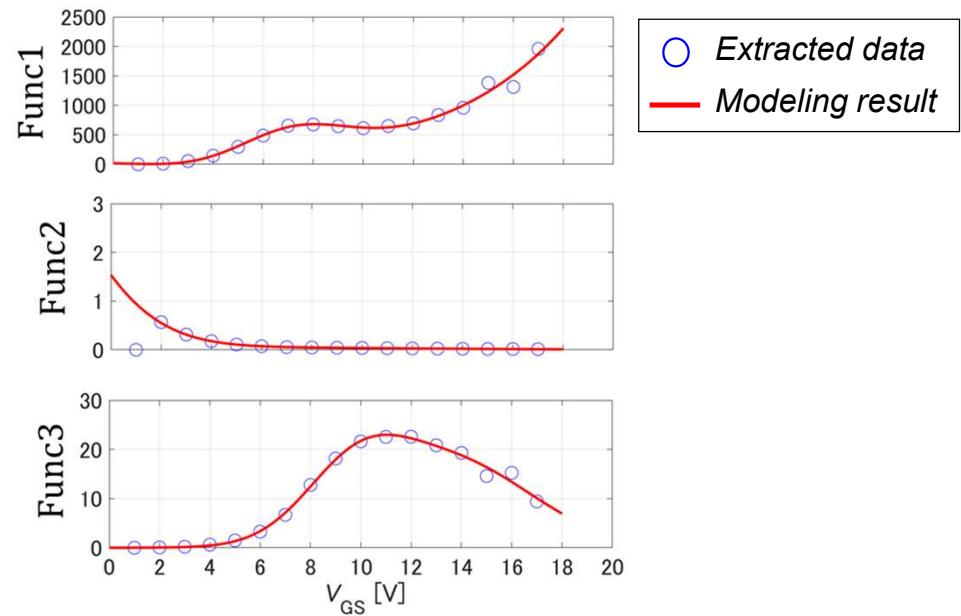


Target : 1.2kV-Full SiC module

Step.2

Model the extracted Func1, Func2, Func3 data with a Gaussian function as a function of V_{GS} .

$$\begin{aligned}\text{Func1}_{(V_{GS})} &= \sum_{i=1}^n \mathbf{A1}_i \times e^{-\left(\frac{V_{GS}-\mathbf{B1}_i}{\mathbf{C1}_i}\right)^2} \\ \text{Func2}_{(V_{GS})} &= \sum_{i=1}^n \mathbf{A2}_i \times e^{-\left(\frac{V_{GS}-\mathbf{B2}_i}{\mathbf{C2}_i}\right)^2} \\ \text{Func3}_{(V_{GS})} &= \sum_{i=1}^n \mathbf{A3}_i \times e^{-\left(\frac{V_{GS}-\mathbf{B3}_i}{\mathbf{C3}_i}\right)^2} \quad \mathbf{A1}_i \sim \mathbf{C3}_i \quad \text{: Constant parameter}\end{aligned}$$

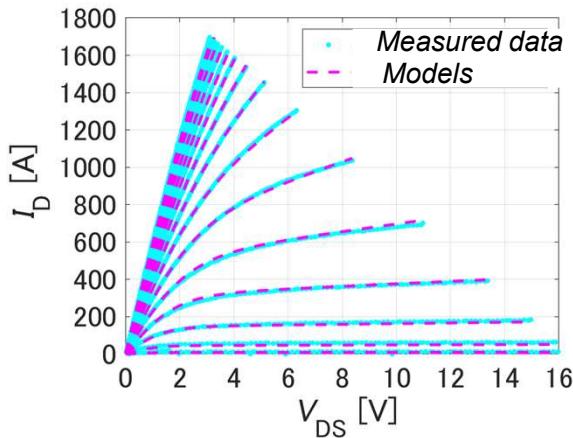


Step.3

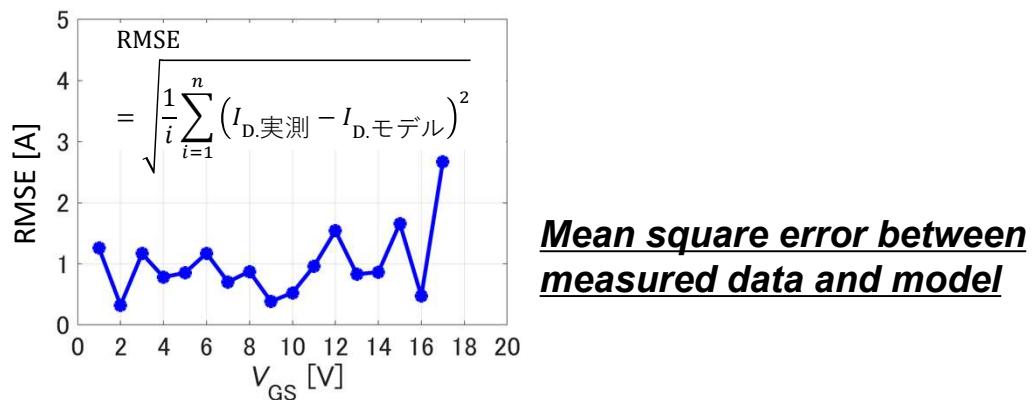
Replace Func1 ~ 3 model with basic model formula.

* Power semiconductor model is completed

$$I_{D(V_{DS},V_{GS})} = f_{(Func1(V_{GS}), Func2(V_{GS}), Func3(V_{GS}), V_{DS})}$$



Compare the measured data with the model



Mean square error between measured data and model

Target : 1.2kV-Full SiC module

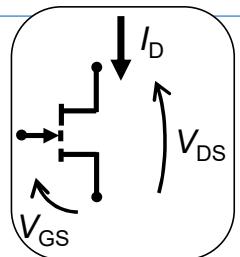
2. I_D - V_{DS} modeling of GaN power semiconductor devices with temperature characteristics

Modeling method (@MATLAB)

Step.1

25°C model is created using the modeling method described above.

$$I_D = F1_{(V_{GS})} \times \left(2 - e^{\frac{-V_{DS}}{F2_{(V_{GS})}}} \right) \times \tanh\left(-\frac{V_{DS}}{F3_{(V_{GS})}}\right)$$



Step.2

Adding temperature terms to the model equation obtained in step 1.

$$I_D = F_{temp1} \times F1_{(V_{GS})} \times \left(2 - e^{\frac{-V_{DS}}{F2_{(V_{GS})}}} \right) \times \tanh\left(-\frac{V_{DS}}{F3_{(V_{GS})} \times F_{temp2}}\right)$$

Step.3

Taking the measured data (I_D vs. V_{DS} for each temperature) and extract the values of variables F_{temp1} and F_{temp2} in the basic model equations for each V_{GS} and temperature T data (GA).



Step.4

Modeling the extracted F_{temp1} and F_{temp2} data as a function of V_{GS} and T .



Step.5

Substituting F_{temp1} and F_{temp2} models into the basic model equation.



Power semiconductor model is completed

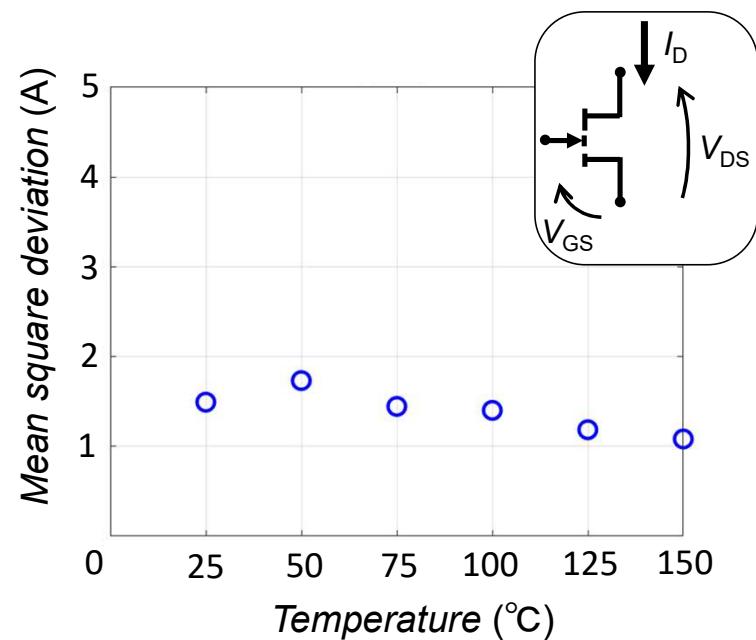
$$I_D = F_{temp1(V_{GS}, T)} \times F1_{(V_{GS})} \times \left(2 - e^{\frac{-V_{DS}}{F2_{(V_{GS})}}} \right) \times \tanh\left(-\frac{V_{DS}}{F3_{(V_{GS})} \times F_{temp2(V_{GS}, T)}}\right)$$

Target : GS66516B (650V/60A) GaN-HEMT

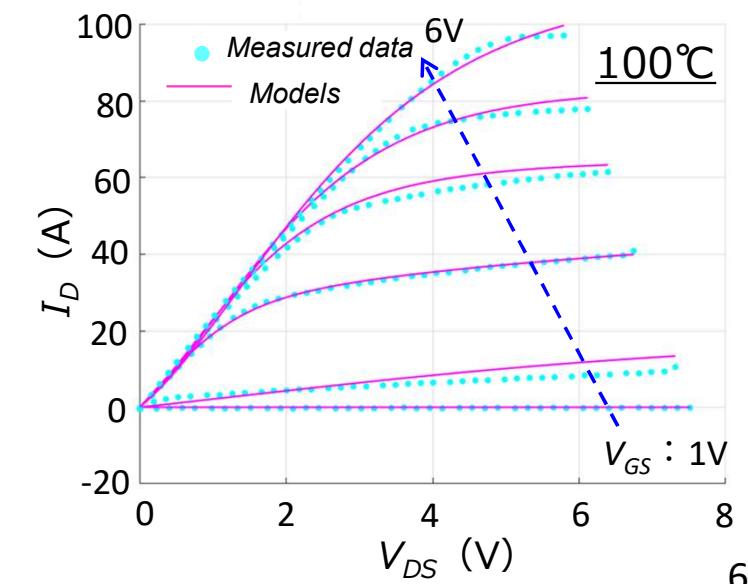
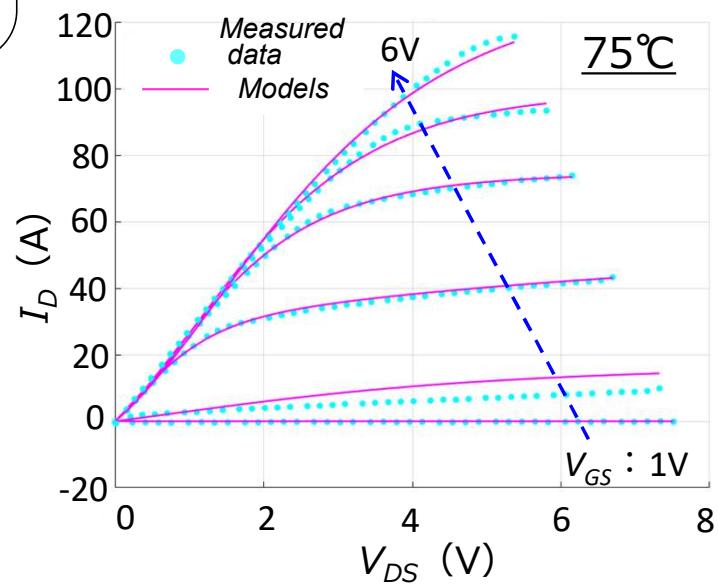
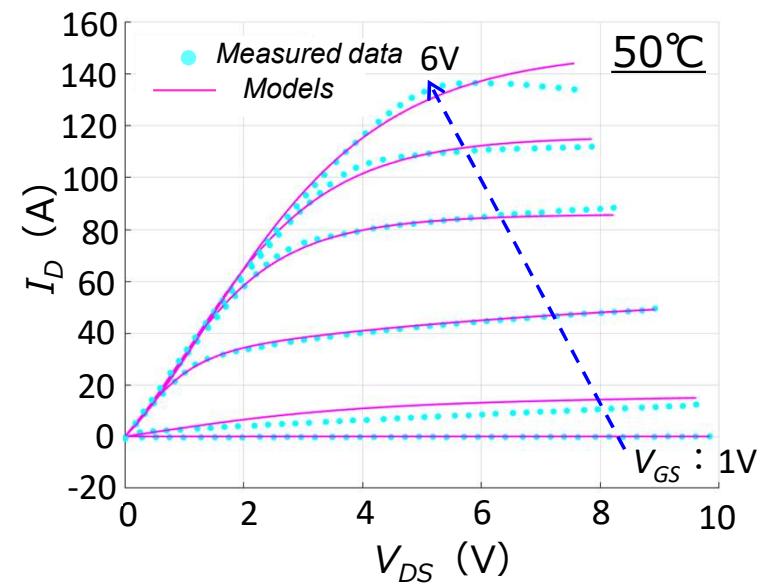
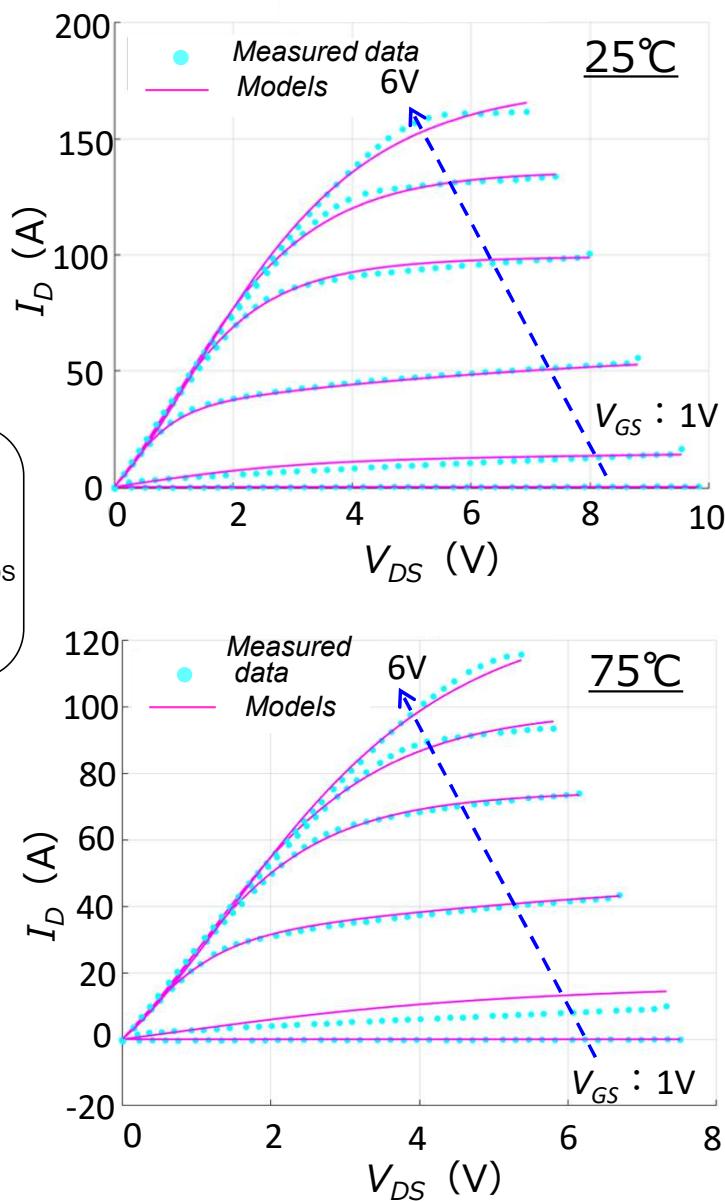
GaN Power Semiconductor Device

Comparison of measured data and model

Mean square deviation between actual and model is 1.47A (2.5% of 60A rating) in the range of 25 to 150°C.

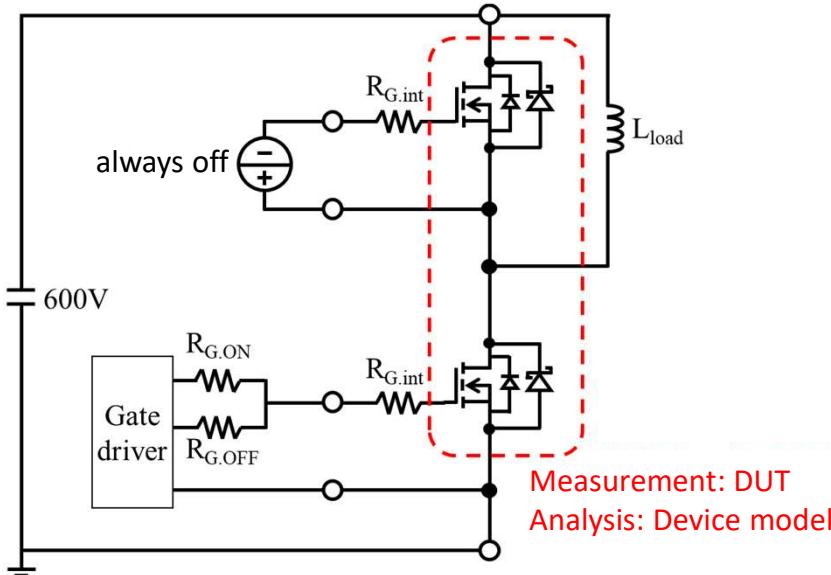


Mean square deviation between actual and model at each temperature



2. Matching the switching characteristics of the model with those of the semiconductor device

① Measuring switching waveforms using a test circuit



Configuration of the test circuit

④ The objective function is minimized by simulated annealing.

② Add tuning parameters to the model

Add tuning parameters to I_D - V_{DS} models, C_{GS} models, C_{DG} models

③ Set objective function for tuning

Calculating the difference between the measured waveform and the analysis waveform for the following items under each current

RMSE I_G : Error between measurement and analysis I_G

RMSE V_G : Error between measurement and analysis V_G

RMSE dI_D/dt : Error between measurement and analysis dI_D/dt

RMSE dV_{DS}/dt : Error between measurement and analysis dV_{DS}/dt

$$I_{G.ON.RMSE} = \sqrt{\frac{1}{16} \sum_{i=1}^{16} \{(\Delta I_{G.ON}(@I_D=i \times 100[A]))^2\}}$$

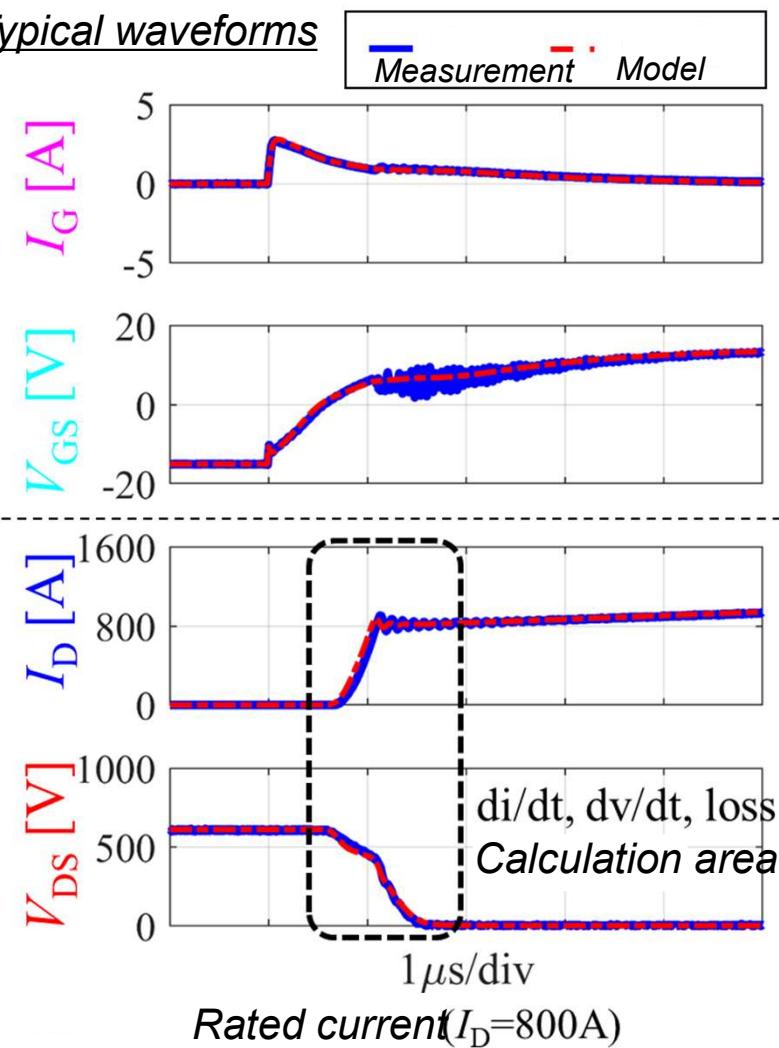
The objective function consists of a total of eight factors that take into account turn-on and turn-off.

$$f_{obj} =$$

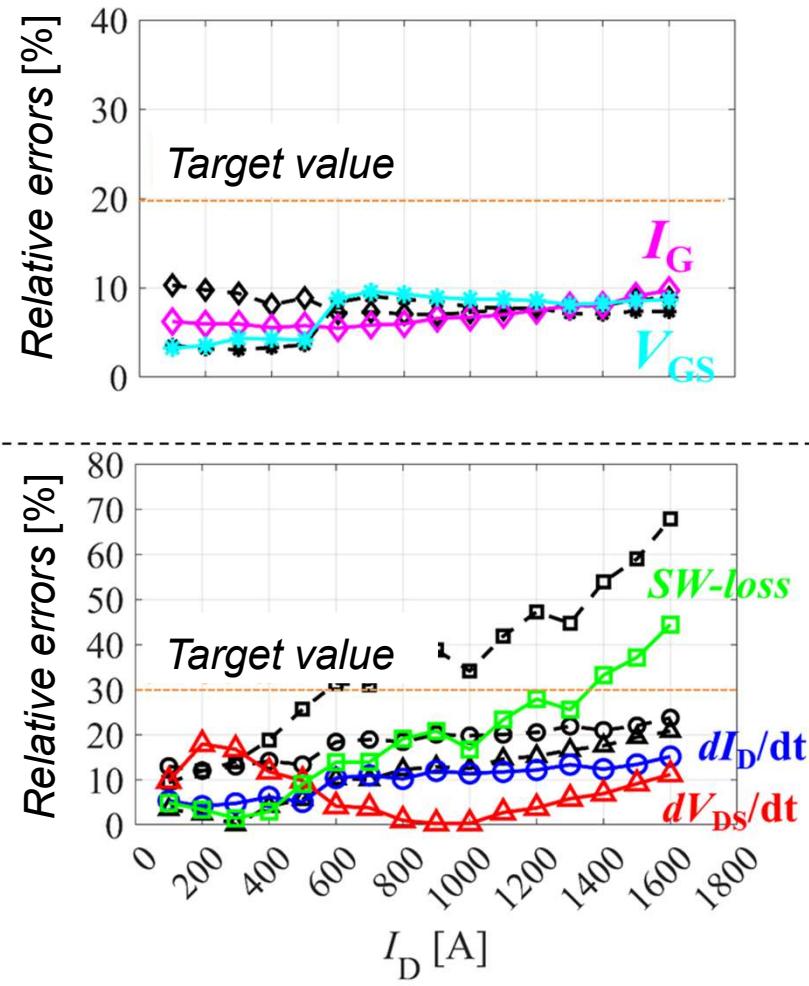
$$I_{G.ON.RMSE} + I_{G.OFF.RMSE} + V_{GS.ON.RMSE} + V_{GS.OFF.RMSE} \\ + \frac{dI_{D.ON}}{dt} \frac{RMSE}{dt} + \frac{dI_{D.OFF}}{dt} \frac{RMSE}{dt} + \frac{dV_{DS.ON}}{dt} \frac{RMSE}{dt} + \frac{dV_{DS.OFF}}{dt} \frac{RMSE}{dt}$$

Comparison of measurement and analysis (turn-on)

Typical waveforms

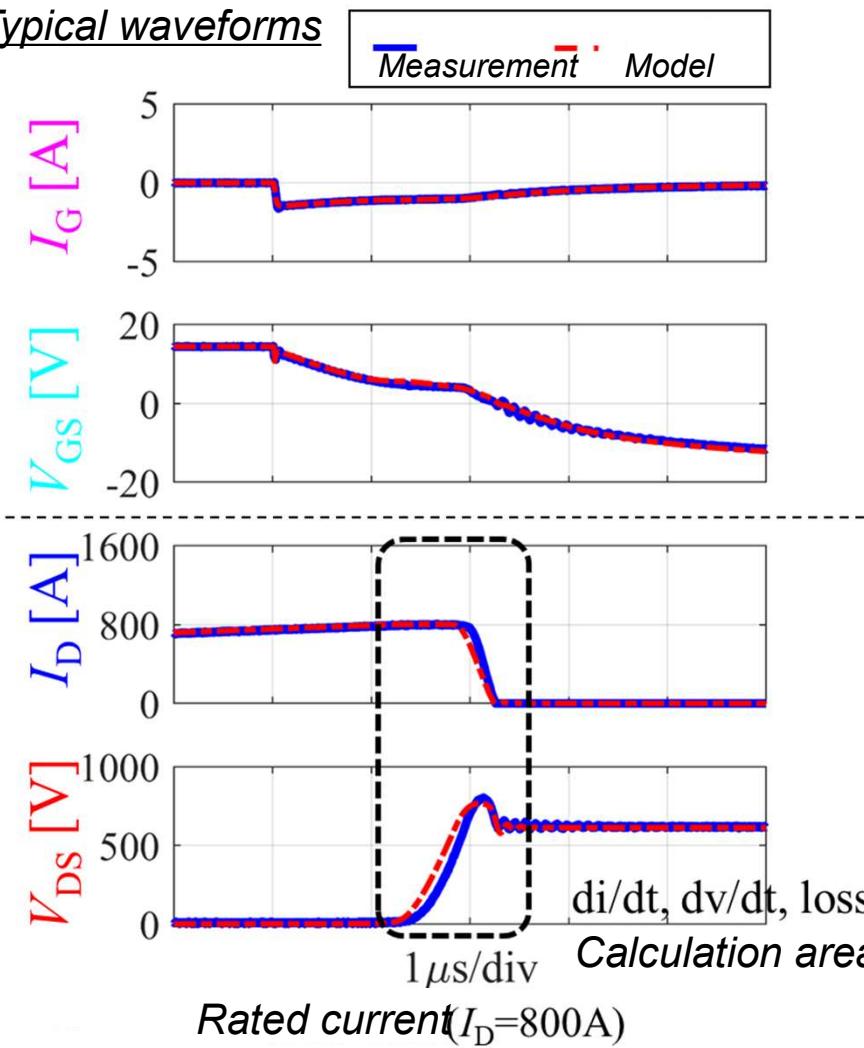


Black line: Without tuning parameters
Color line: With tuning parameters



Comparison of measurement and analysis (turn-off)

Typical waveforms



Black line: Without tuning parameters
Color line: With tuning parameters

